

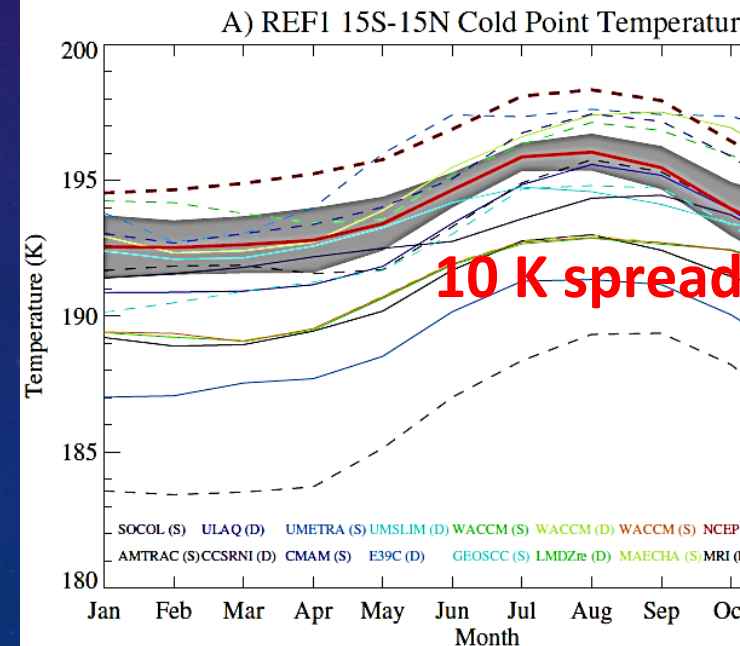
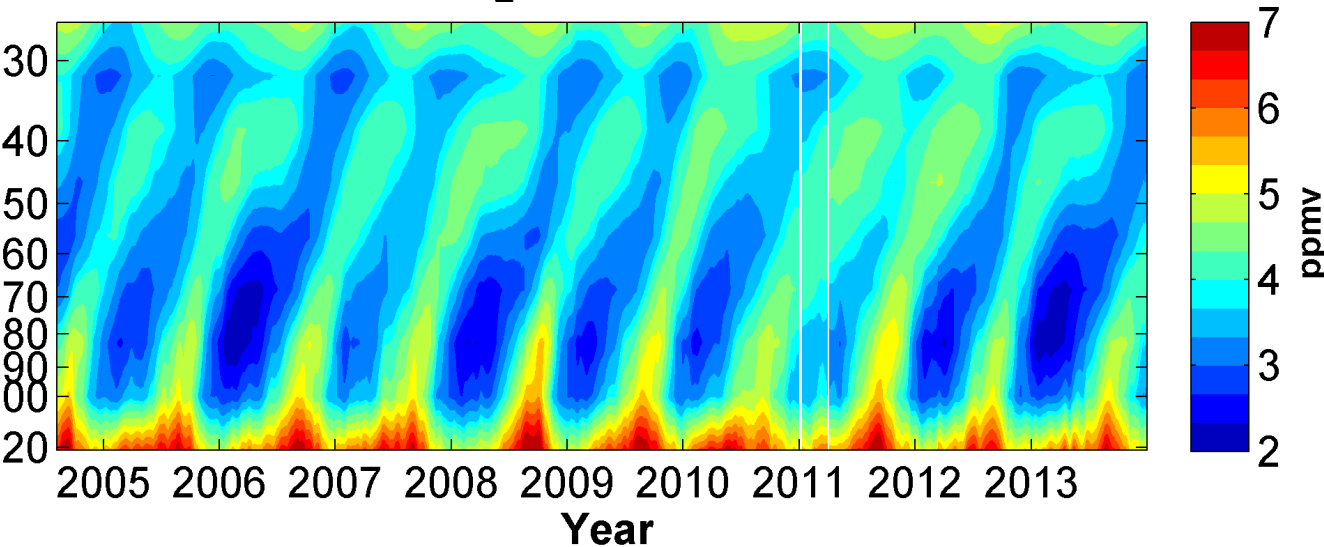
Mixing in the TTL diagnosed from the **tape recorder** of water vapor

S. Glanville and T. Birner

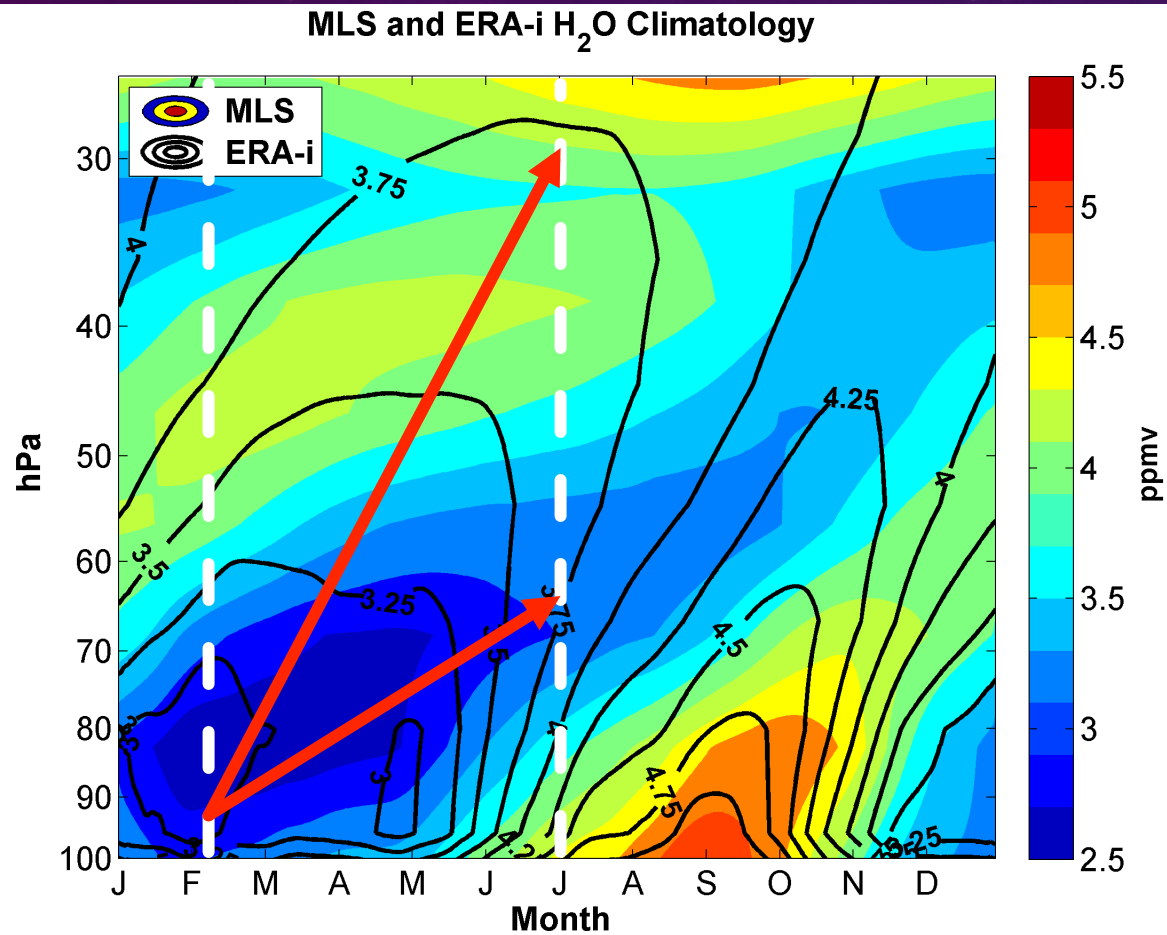
CT3LS Meeting | July 20, 2015

(Gettelman et al., 2009)

MLS H₂O Observations



ERA-i is about 3x faster

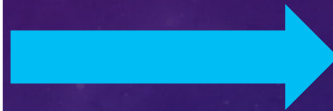


Objectives

How important is mixing?

Can you model the tape recorder in more than one way?

What causes increased transport in other models?



Broad Picture

Modeling TTL dynamics

+

How much water vapor enters the stratosphere?

+

Stratospheric chemistry and surface climate



Data

MLS Observations

ERA-i reanalysis

GEOS CCM

- 1. Find the effective (total) vertical velocity**
- 2. Model the 3 transports individually to re-create the tape recorder**

Phase-lagged correlation method

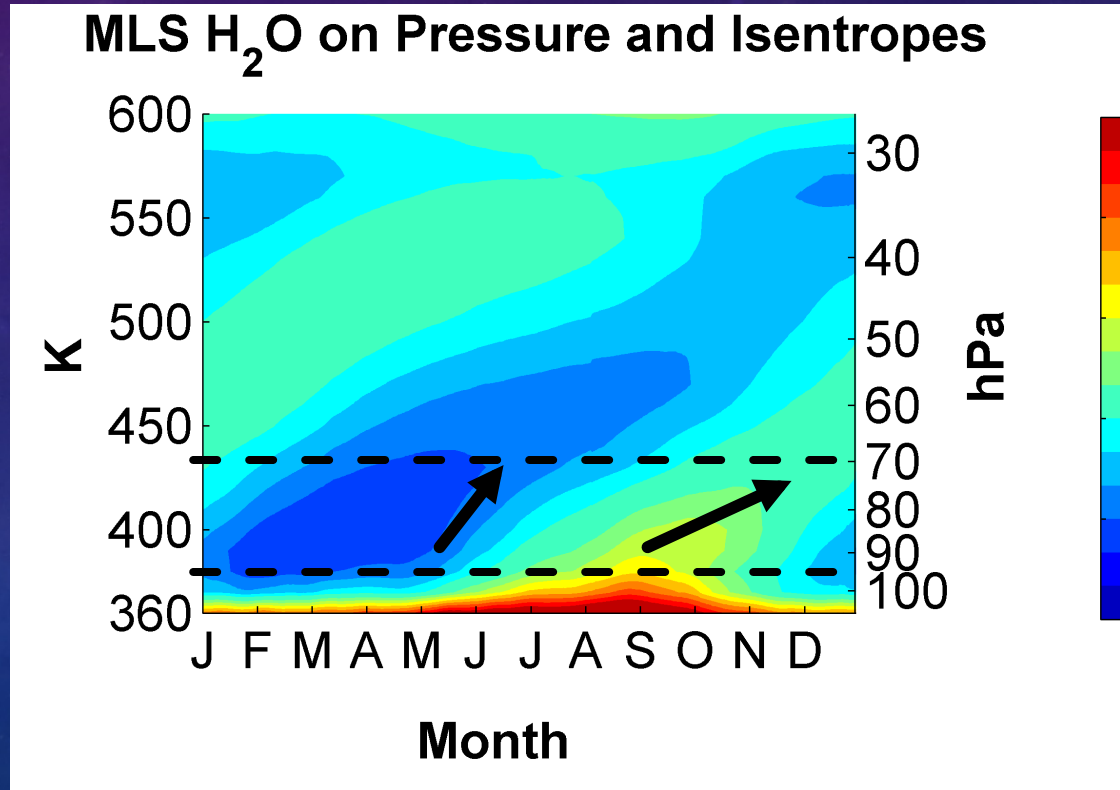
find effective velocity (based on Schoeberl et al., 2008 and Niwano, 2003)

Correlate H_2O at two levels, shifting the data in the top level day-by-day up to 14 months

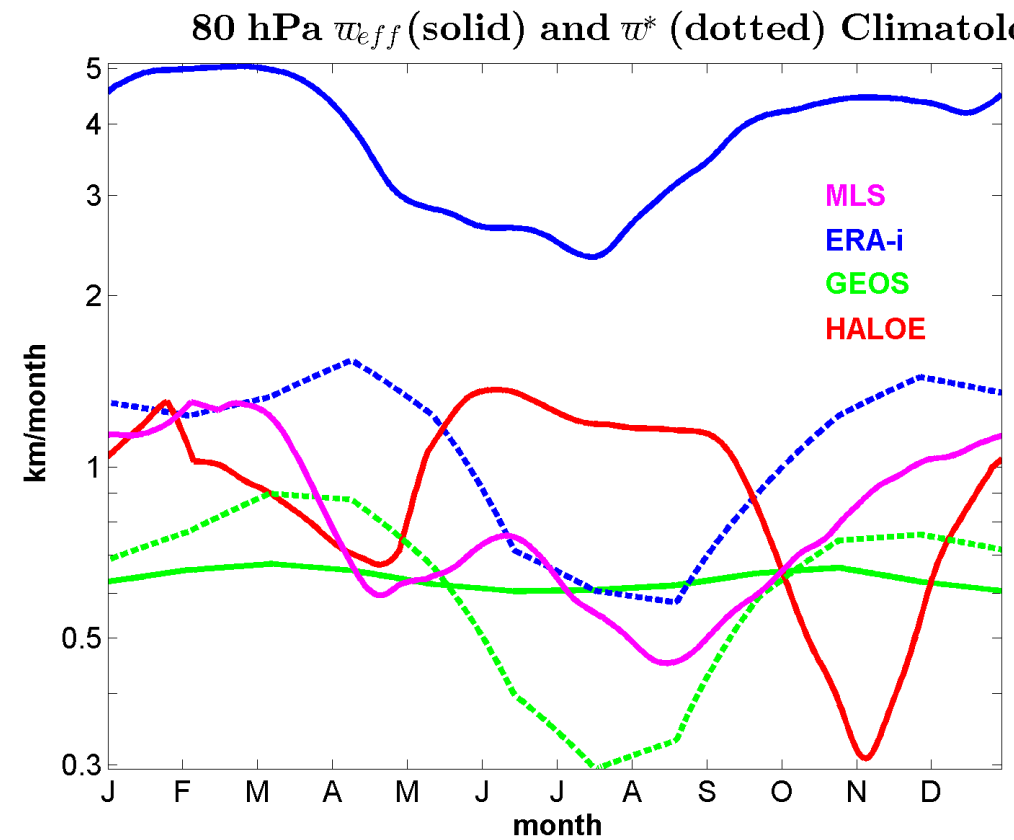
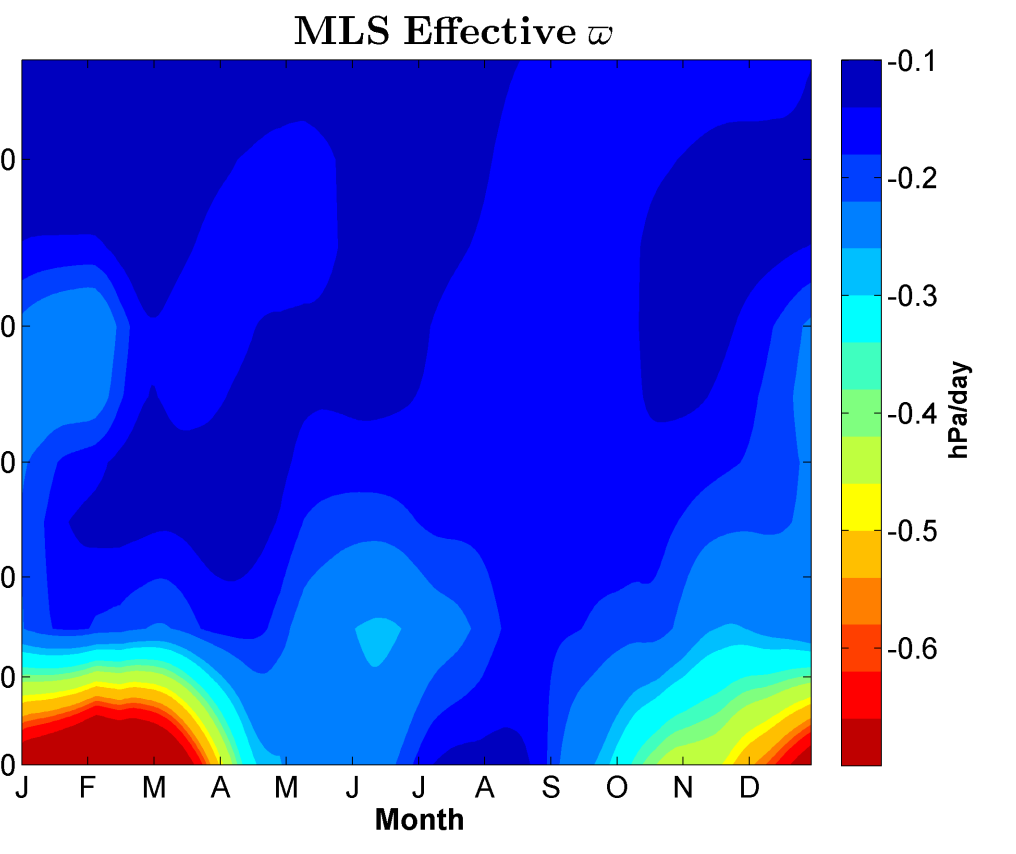
The effective velocity is simply the space between the levels divided by the time lag with best correlation

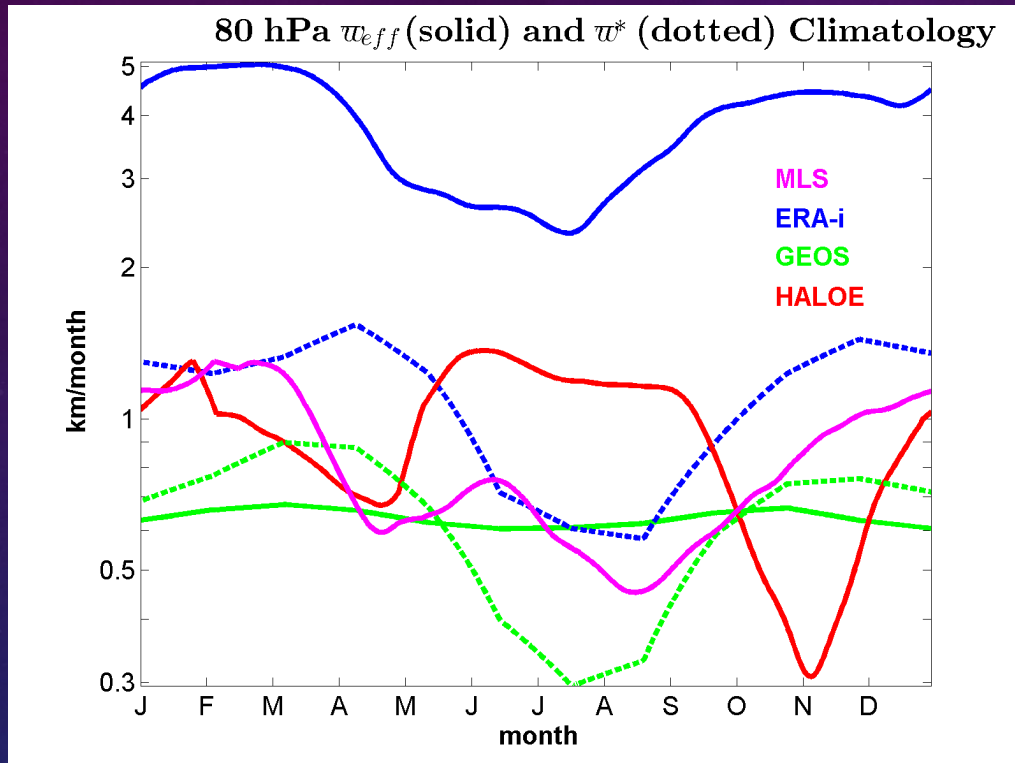
Effective velocity – the transport on all space and time scales

Instead of using 365 days, we use 180 to capture the seasonal cycle (this doesn't hurt the correlation coefficient)



Effective vertical velocity ω





What would **MLS's** w^* (dotted line) look like?

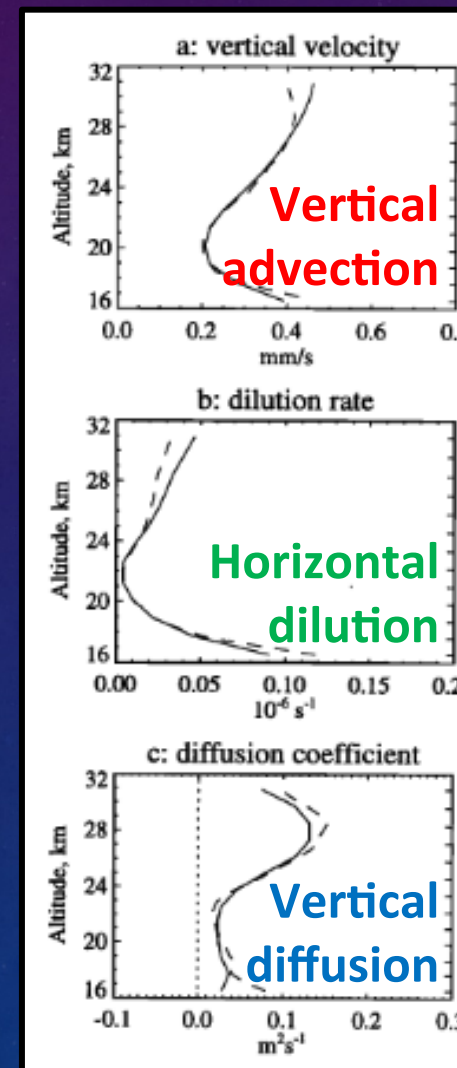
Building upon past work

Mote et al. (1998) defined the tape recorder by a wave solution and used a 1-dimensional model \rightarrow inverse solved for **annual mean transports**

ically, we represent \hat{H} anomaly
 $\chi = \text{Re} f(z) \exp[i(\phi(z) - \omega t)]$
al and are determined from \hat{H}

We use **time-dependent** transports based on the seasonality seen in the effective velocities and literature (Rosenlof (1995); Plumb (2002); Konopka et al. (2009))

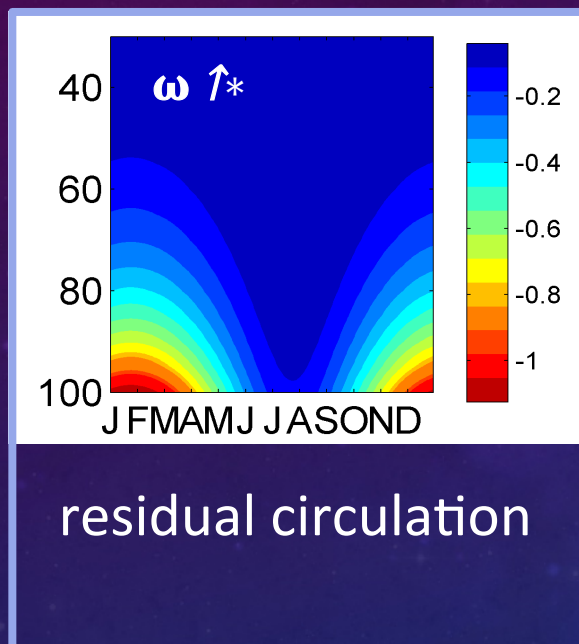
Parameter sweep



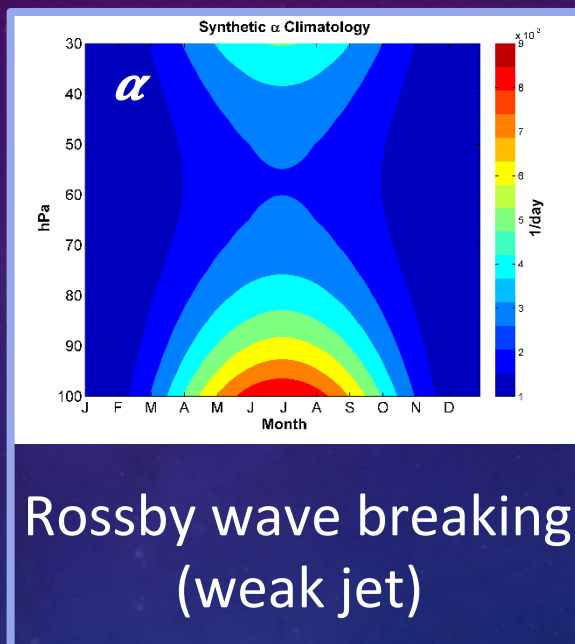
Seasonal cycles of transports

Red = maximizes
Blue = minimizes

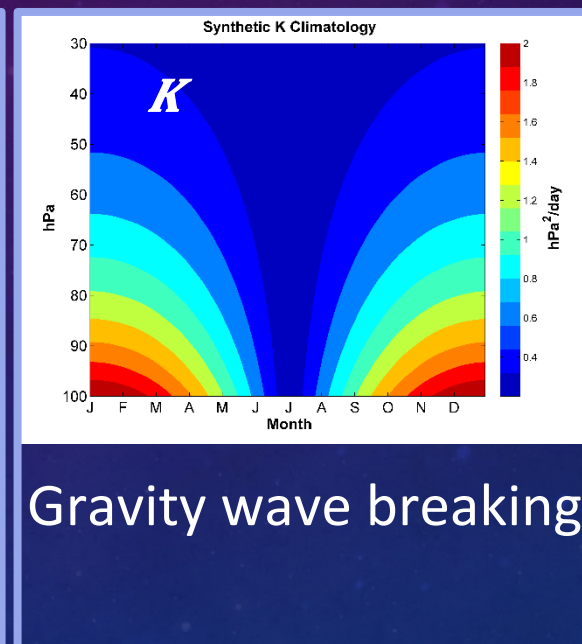
Vertical Advection



Horizontal Dilution



Vertical Diffusion

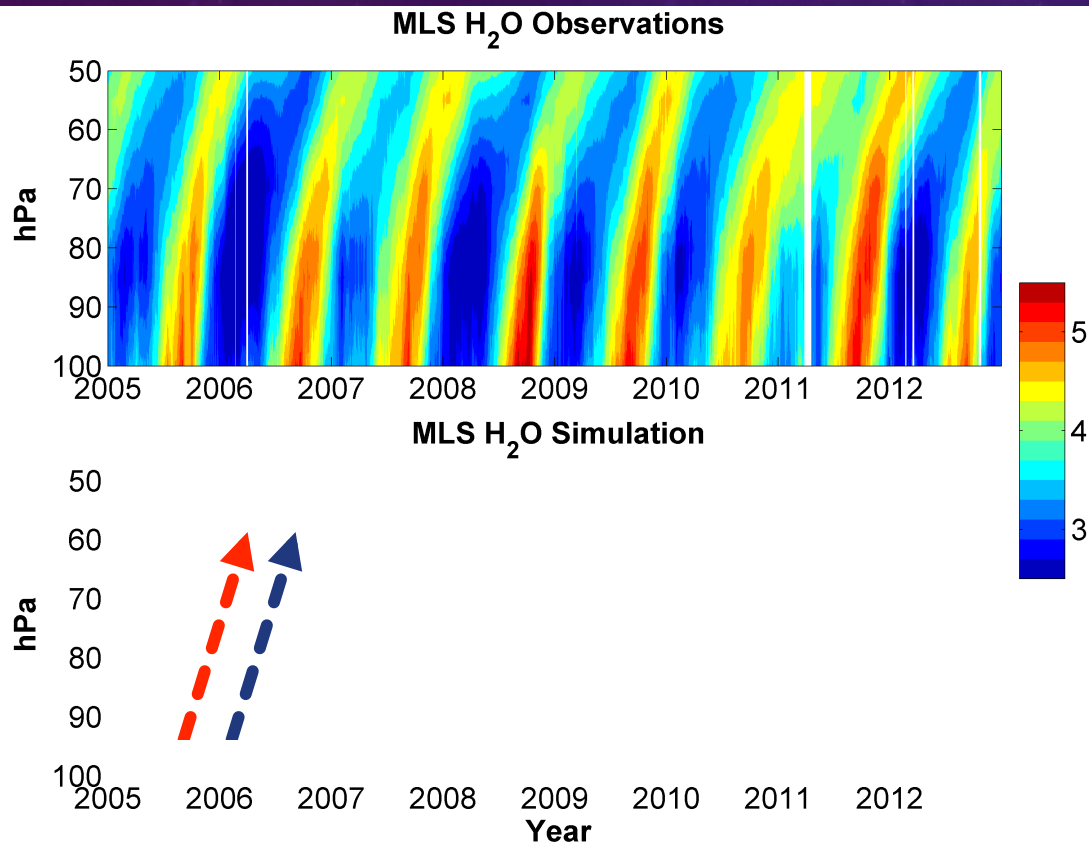


► Gravity waves can be generated by:

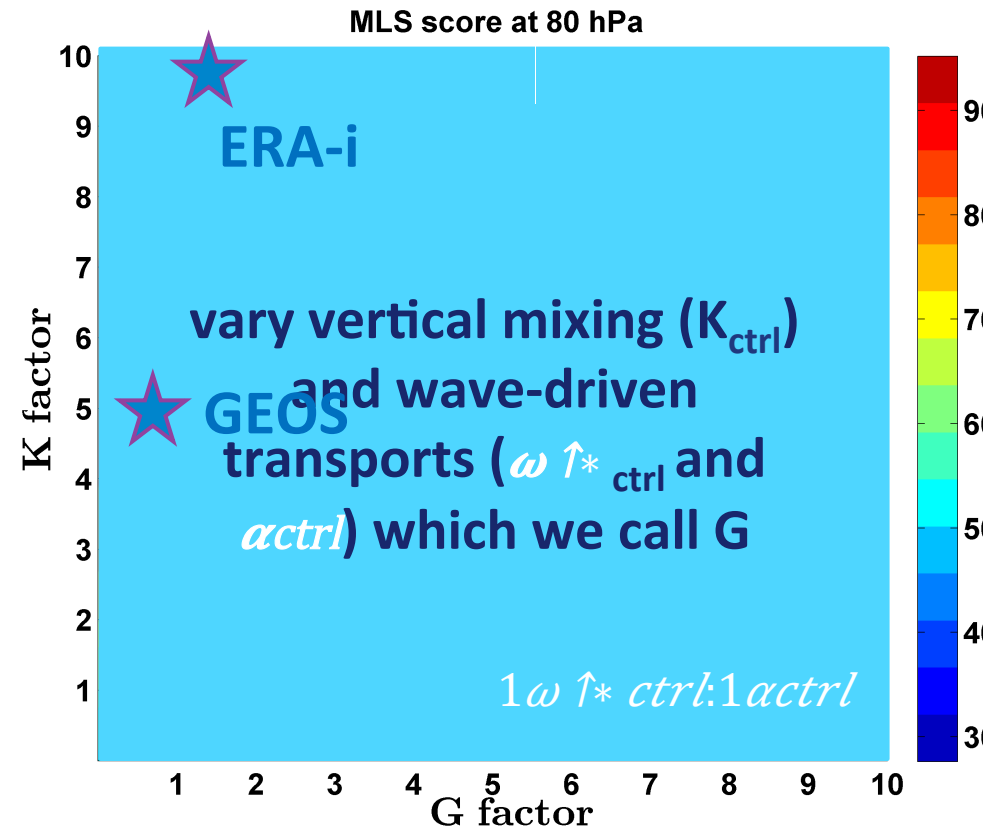
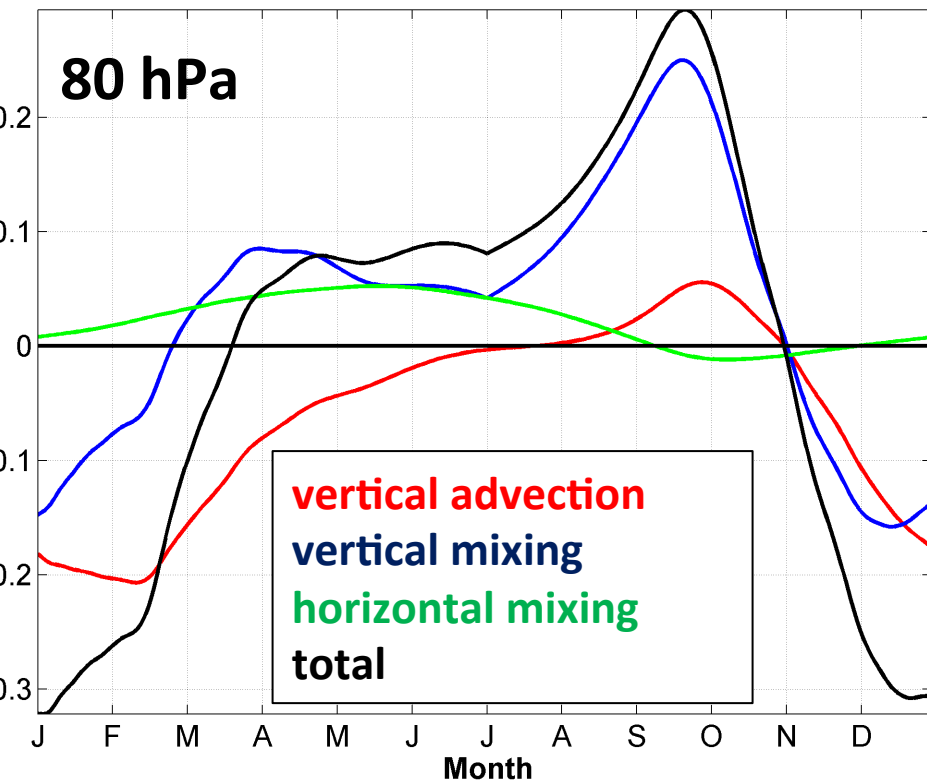
- Overshooting cloud tops
- Latent heat anomalies

Synthetic 1-D model (from Mote et al., 1998)

$$\frac{\partial q}{\partial t} = -\omega \uparrow^* \frac{\partial q}{\partial p} + \frac{\partial}{\partial p} (K \frac{\partial q}{\partial p}) - \alpha (q - q_{\downarrow midlat})$$



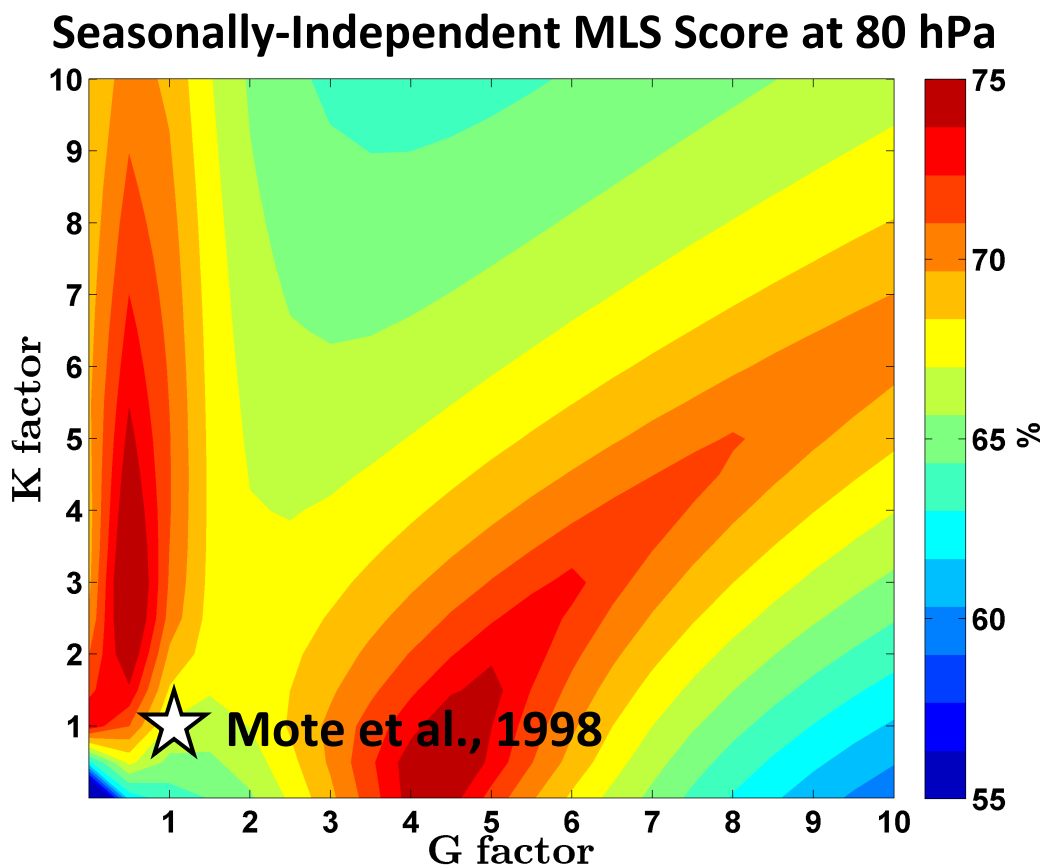
Modeling MLS Observations (-coordinates)



1/2 amplitude
1 month lag
Both

What if you use the annual mean for ALL transports?

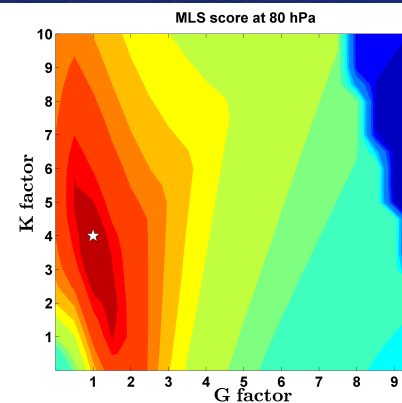
(following Mote et al., 1998)



Mote et al. (1998): “we have little confidence in our results below 18 km, especially for K”

Also, “Vertical diffusion has more complex characteristics below 20 km” .. such as descent coupled to convection (Sargent et al., 2014)

**Using
seasonally-
dependent
transports**



Summary and implications

Vertical mixing may be **25-50% responsible for TTL transport** (even larger during JJA)

Unrealistic results appear when seasonally-independent transports are used

Spurious diffusion from data assimilation may play a large role in ERA-i

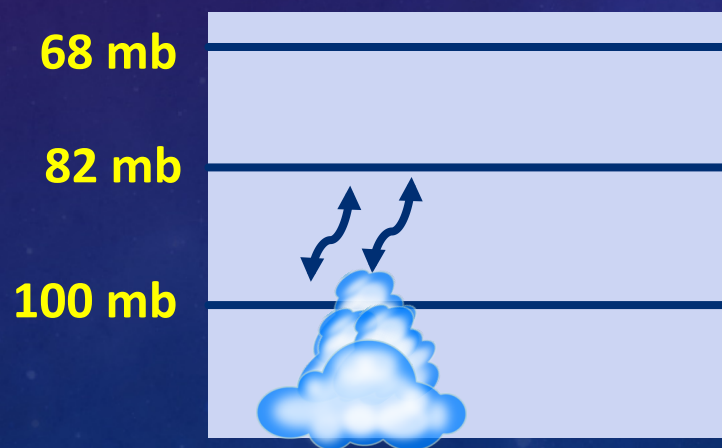
Horizontal mixing should be viewed in θ -**coordinates** (in-mixing becomes stronger)



- **Changes to vertical mixing** could change global radiation balance as much as the residual circulation
 - Phases of QBO and ENSO
- **But the future is complicated:**
 - Overshooting clouds? (Held and S 2006: less convective mass flux in future)
 - Latent heating changes?
 - **TTL depth? (Gettelman et al., 200 thinner TTL in the future)**

Limitations

- Representation of horizontal mixing term as **linear relaxation**
- MLS vertical resolution is relatively poor, so it **may actually underestimate vertical mixing**

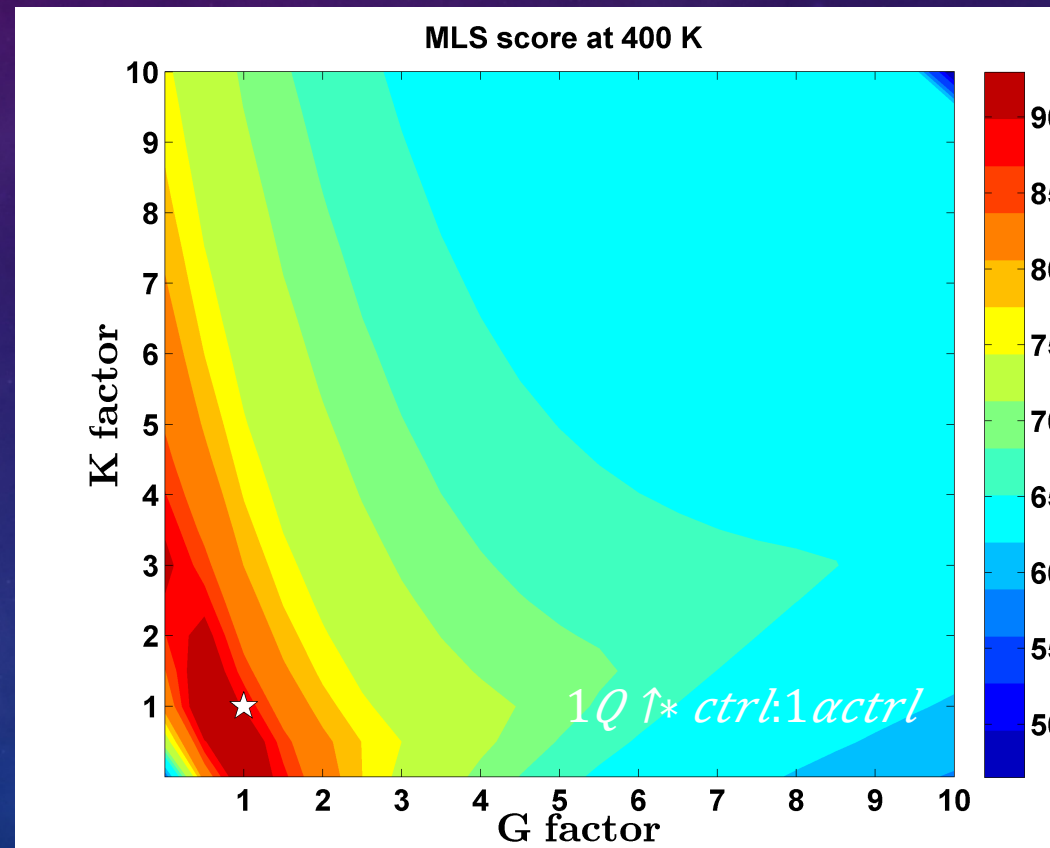
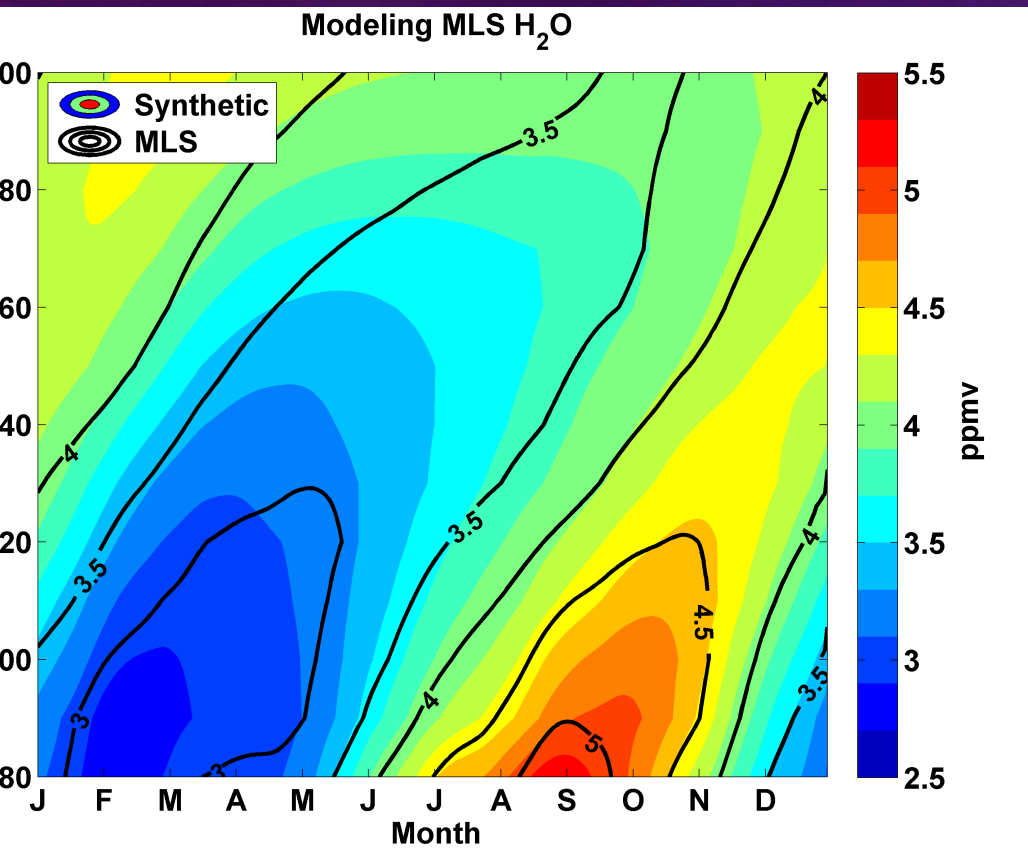


Future work

- ▶ **Test more parameters** in current tracer model (e.g., ctrl profiles)
- ▶ Parameter sweep on a **cloud-resolving model** to find what vertical mixing is most sensitive to on seasonal and longer timescales



Modeling MLS Observations (θ -coordinates)

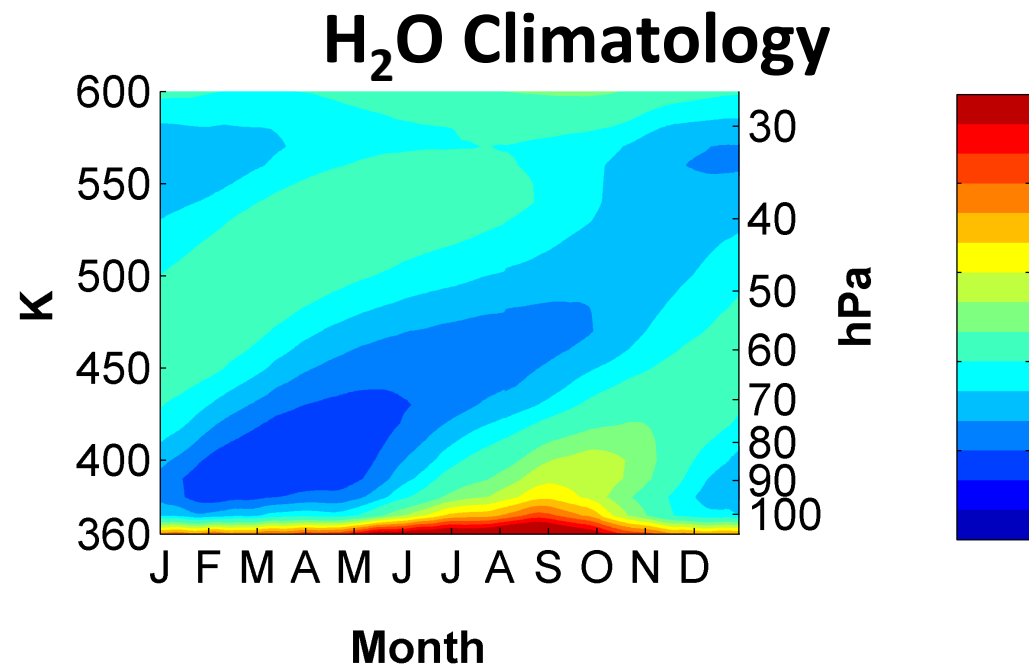
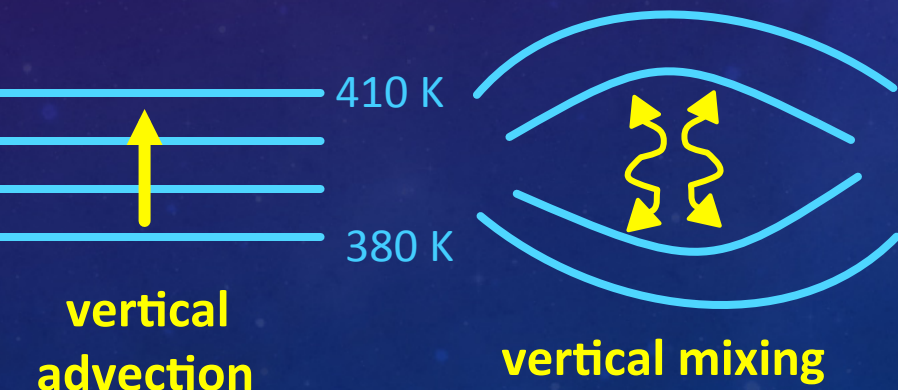


entropic coordinates

Quasi-Lagrangian framework

Parcels are not confined to p-surfaces as strictly (e.g., near the warm pool)

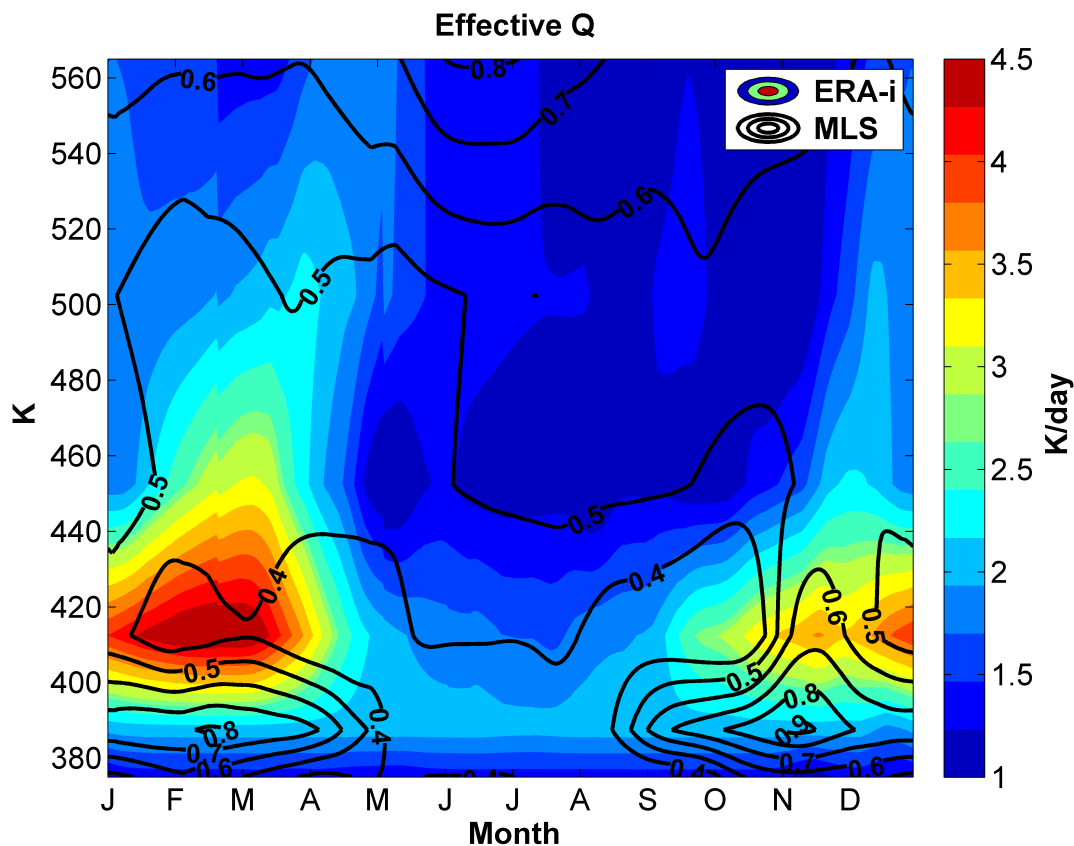
Vertical mixing is “done” by the coordinates if the process is adiabatic



$$\cancel{\frac{\partial \theta}{\partial t} + \omega \uparrow \cdot \frac{\partial \theta}{\partial p} + \partial \omega' \theta' / \partial p} = \text{vertical velocity in isentropic coordinates}$$

steady state

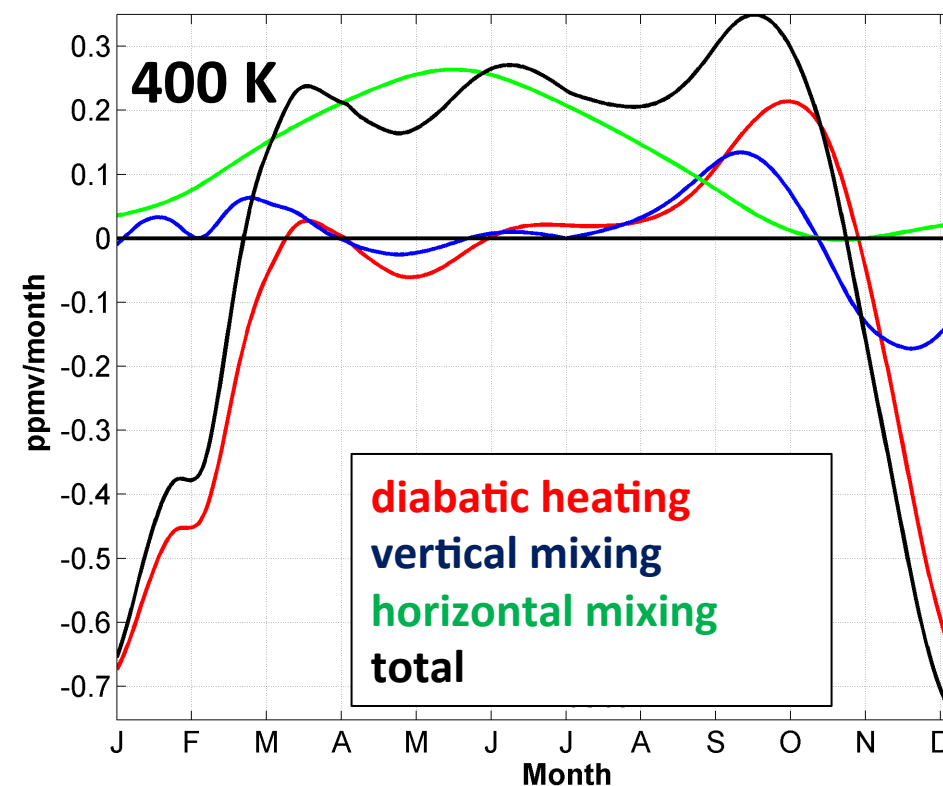
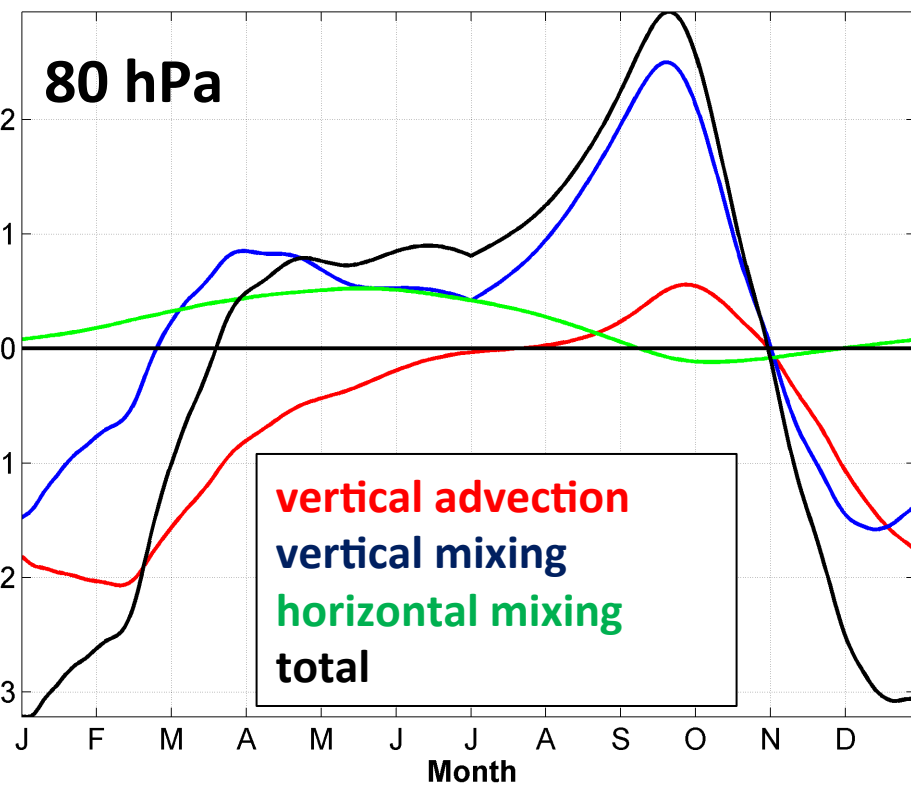
Effective diabatic heating Q



Supported by Wright and Fueglistaler (2013) and Yang et al. (2010)

→ longwave cloud radiative heating rates above 200 hPa are too strong in ERA-i

MLS Time Tendencies (p and Θ coordinates)



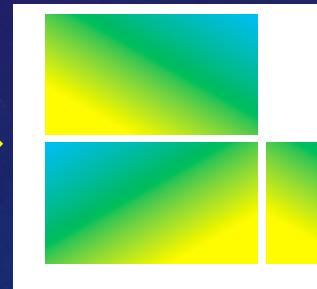
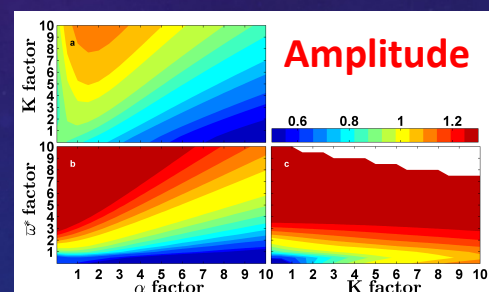
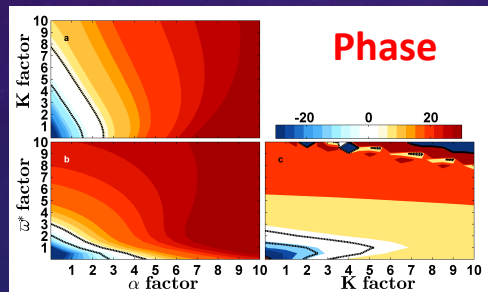
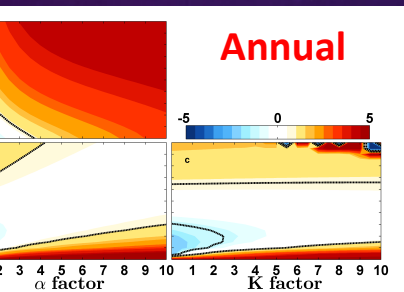
Note: transports are not independent of each other

TOTAL SCORE

$$\text{Score} = 100 / (1 + |A_{\text{sim}} - A_{\text{real}}| / |A_{\text{real}}| + |\varphi_{\text{sim}} - \varphi_{\text{real}}| / |\varphi_{\text{real}}| + |q_{\text{sim}} - q_{\text{real}}| / |q_{\text{real}}|)$$

$\omega \uparrow^* = \text{advection}$
 $K = \text{vertical diffusion}$
 $\alpha = \text{horizontal diffusion}$

$A = \text{amplitude}$
 $\varphi = \text{phase}$
 $q = \text{water vapor}$



$G = \text{effects of wave breaking } (\omega \uparrow^* \text{ \& } \alpha)$



Modeling ERA-i (p-coordinates)

